

# **Maths Points**

## Junior and Leaving Cert

# JCOL BASIC SKILLS PACK 8

JUNIOR CERT ORDINARY LEVEL





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# **Maths Points**

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### 1 ► 2002 JCHL Paper 1 – Question 1 (ii)

A person travelled at an average speed of 72 km/hr for 4 hours and 20 minutes. How far did the person travel?



Distance = Speed × Time  
= 
$$72 \times 4\frac{1}{3}$$
  
= 312 km

Conversion 20 mins  $= \frac{20}{60}$  hours  $= \frac{1}{3}$  hours



Verify that the point (1, -1) is on the line 3x + 2y - 1 = 0.

To determine whether a point is on a line we sub the *x* and *y* coordinates of the point into the line (for *x* and *y*) and check if the resultant equation is true.

3x + 2y - 1 = 0

$$3x + 2y - 1 = 0$$
  

$$3(1) + 2(-1) - 1 = 0 \qquad \checkmark x = 1, y = -1$$
  

$$3 - 2 - 1 = 0$$
  

$$0 = 0$$

Which is true therefore (1, -1) is on the line.

Multiply out and simplify (x + 3)(x - 2).

Expand the brackets by multiplying then simplify by collecting 'like' terms together.

$$(x + 3)(x - 2)$$
  
=  $x(x - 2) + 3(x - 2)$   
=  $x^2 - 2x + 3x - 6$   
=  $x^2 + x - 6$ 

### 4 ► 2019 JCOL Paper 2 – Question 7 (c)

Filip measures the height of seven of the students in his class. Their heights, in cm, are:

166168169172173177Work out the median of the data, in cm.

The **median** is the **middle value** when ordered from lowest to highest.

There are 7 values.

$$\frac{7}{2} = 3.5$$

If we get a decimal we always round up.

 $\rightarrow 4^{\text{th}}$  value

Median = 169 cm



#### 5 ► 2017 JCOL Paper 2 – Question 8 (c)

The diagram below shows part of a climbing frame. The points *B* and *C* are on the ground. The legs [*OB*] and [*OC*] are joined by the horizontal bar [*PS*]. Ava measures the angle that each of the legs makes with the ground. She finds that they are both 55°.

*OBC* and *OPS* are **similar** triangles.

Explain what this means.

Triangles are similar (equiangular) if all the angles are the same.

$ \angle OBC  =  \angle OPS $	•	Corresponding Angles
$ \angle OCB  =  \angle OSP $	•	Corresponding Angles
$ \angle BOC  =  \angle POS $	•	Common Angle

 $\therefore \Delta OBC$  and  $\Delta OPS$  are equiangular. The triangles are **similar**.



